

→ FFT reduces complexity from  $n^2$  to  $n \log n$ .

Discrete Fourier Transform in 2D

1D →  $k$  in  $N \times X$

2D →  $u, v$  in  $M, N \times F, F$

$$F(u, v) = \sum_{x=0}^{M-1} \sum_{y=0}^{N-1} f(x, y) e^{-i 2\pi \left( \frac{ux}{M} + \frac{vy}{N} \right)}$$

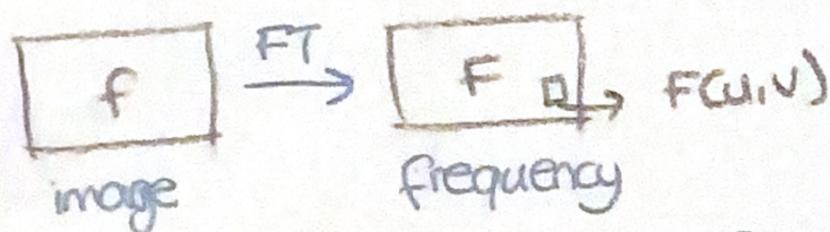
↓

original  
signal

→ pixel of the  
frequency transformed  
image

→  $u$  &  $v$  are the frequencies

→ A frequency in an image corresponds to change in an image



How to calculate fourier in 2D?

def myDFT2D(f)

for  $u=0:M-1$

for  $v=0:N-1$

for  $x=0:M-1$

for  $y=0:N-1$

output[u+1, v+1] = output[u+1, v+1] +  
 $f[x+1, y+1] * \exp(-2 * i * \pi * (x * u / M +$   
 $y * v / N))$